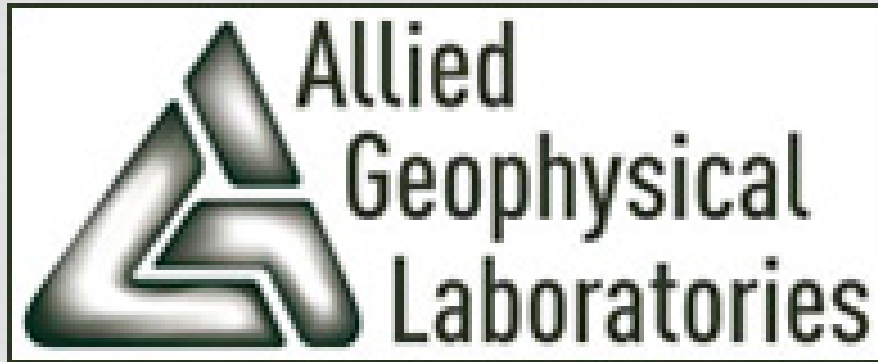
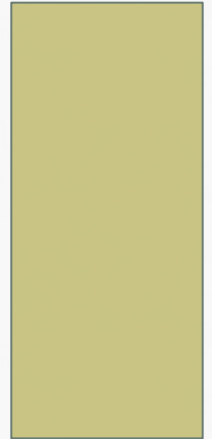


University of Houston



ANISOTROPIC INSIGHTS FROM PHYSICAL MODELING

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DR. ROBERT STEWART



Authors list: Nikolay Dyaur, Robert Wiley, Bode Omoboya, Anoop William and Jörg Schleicher

OUTLINE

- Motivation
- Anisotropic sample preparation
- Physical modeling experimental setup
- Results
- Conclusions

MOTIVATION

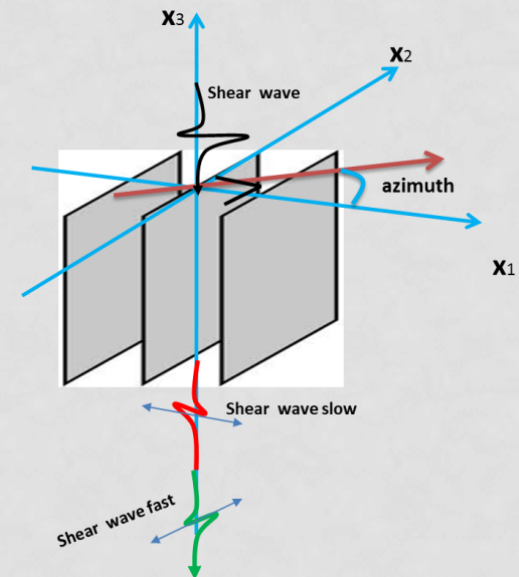
Anisotropic cracked and fractured media shows up different directions of fracture sets

Main theories:

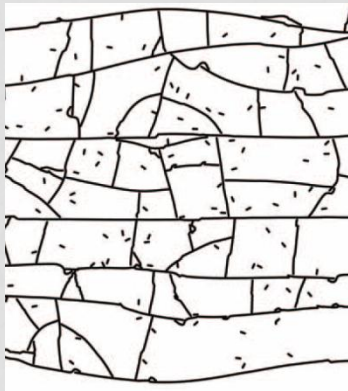
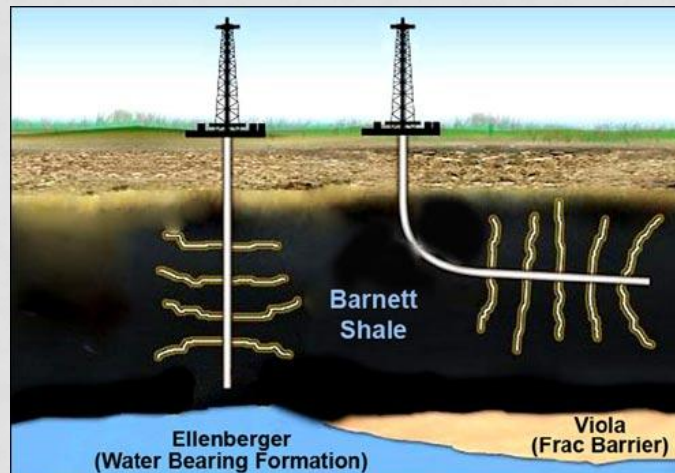
Hudson (1981)

Crampin (1985)

Thomsen (1995)

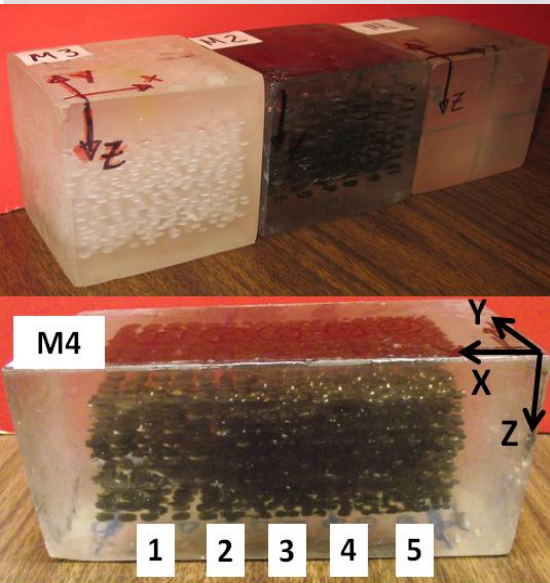


Hydraulic fracturing



EXPERIMENTAL SETUP-ANISOTROPIC PHYSICAL SAMPLES

Round cracks



Model	Crack density (%)	Measure distance (cm)	Number of Layers	[Diameter] (cm) - [aperture] (cm) of cracks	Number of cracks per layer	Aspect-ratio
M1	Isotropic	7.31 ± 0.02	0	0	0	0
M2	4.5	7.29 ± 0.02	10	[0.7] - [0.091]	36	0.13
M3	3.8	7.32 ± 0.02	17	[0.4] - [0.051]	90	0.12
M4-1	6.2	7.64 ± 0.02	10	[0.7] - [0.091]	30	0.13
M4-3	5.2	7.74 ± 0.02	10	[0.44] - [0.091]	80	0.20
M4-5	3.8	7.74 ± 0.02	10	[0.32] - [0.091]	100	0.28

Based on Hudson's theory (1981)

$$\text{Crack density} \rightarrow \varepsilon = \frac{Na^3}{V}$$

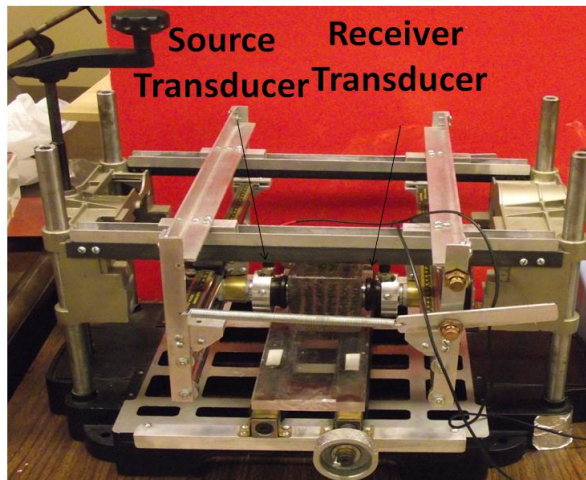
$$N_{cra/lay} = \left(\frac{\varepsilon}{100} * V_{mod} \right) / (N_{lay} * V_{cra})$$

$$\text{Where, } V_{cra} = 3.14 * \left(\frac{d}{2} \right)^2 * h$$

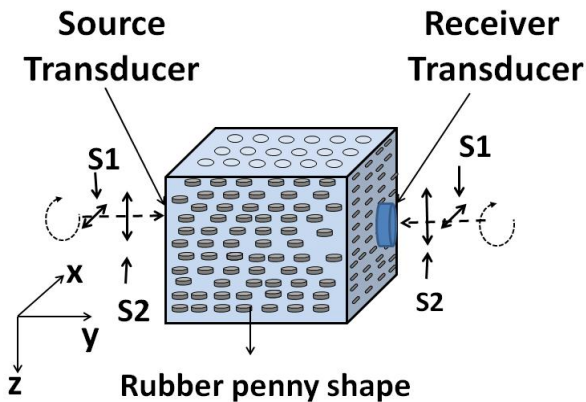
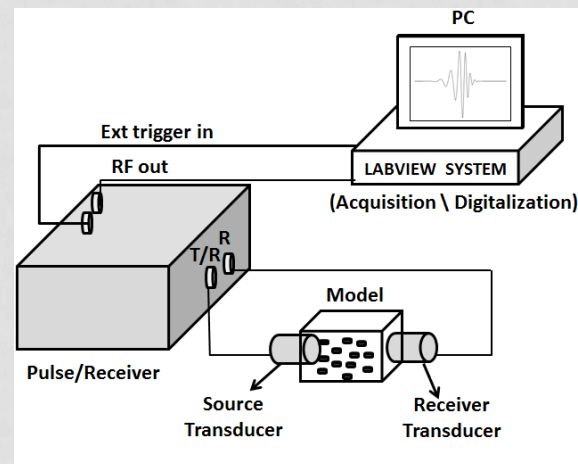
Strip cracks



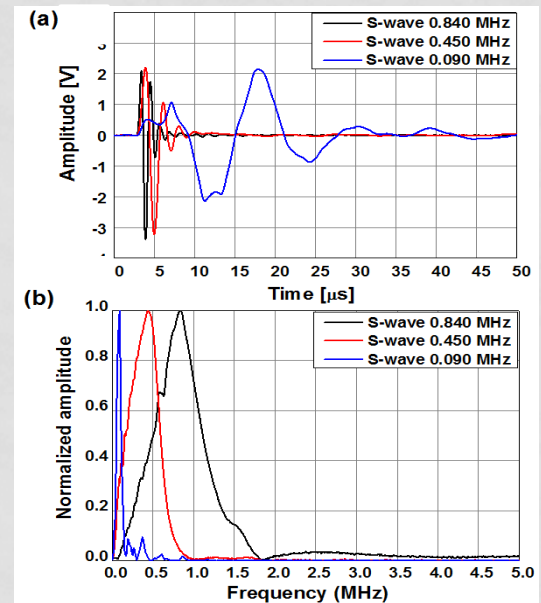
EXPERIMENTAL SETUP -ULTRASONIC MEASUREMENTS



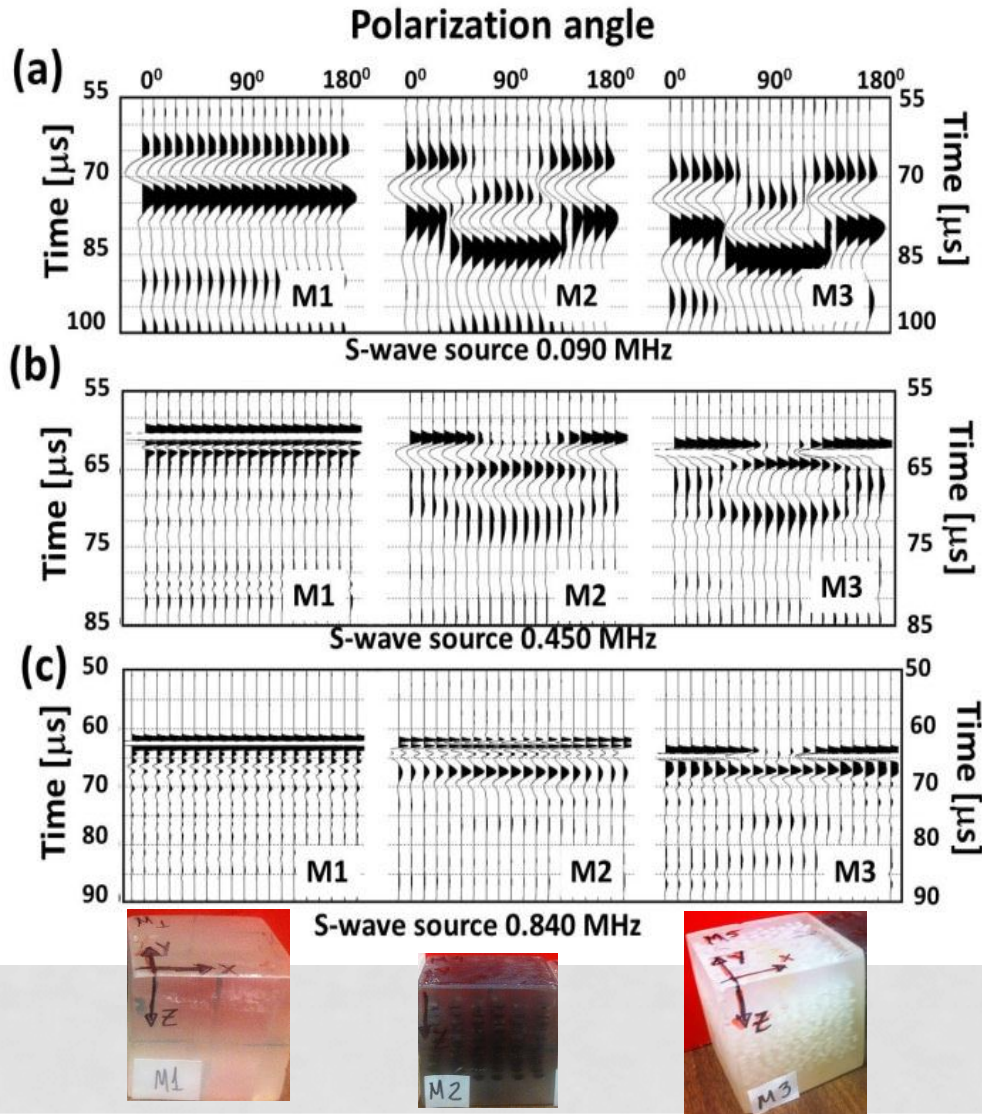
Pulse transmission technique



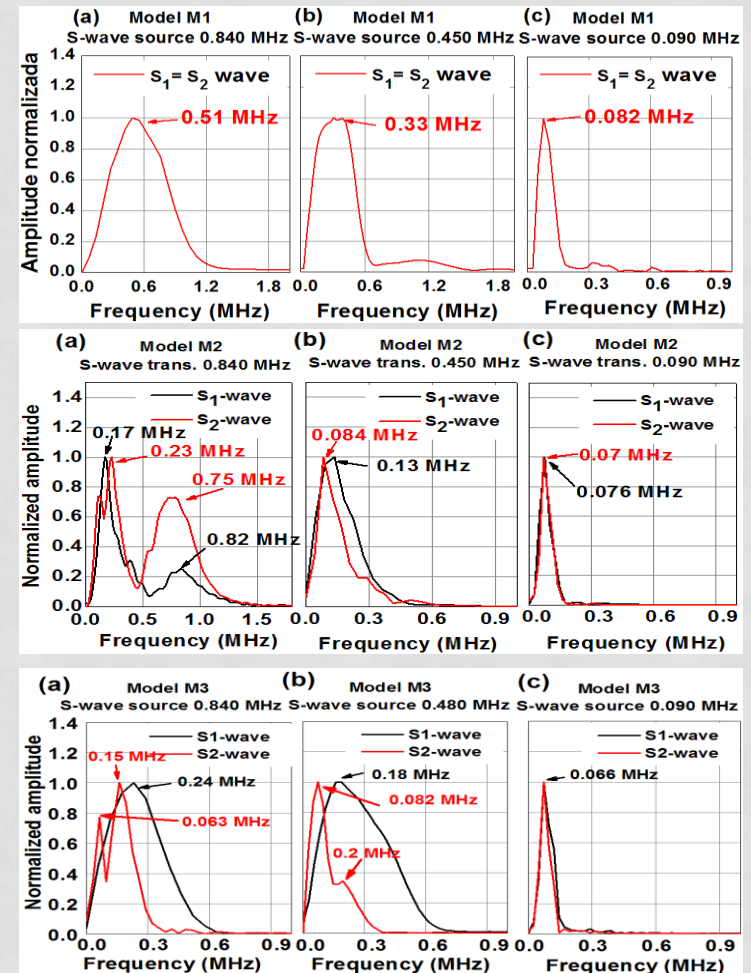
**S-waves
frequencies sources**



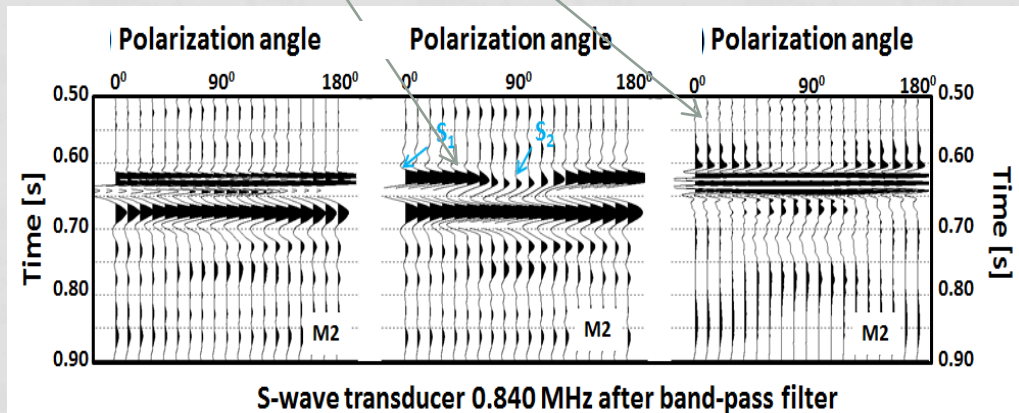
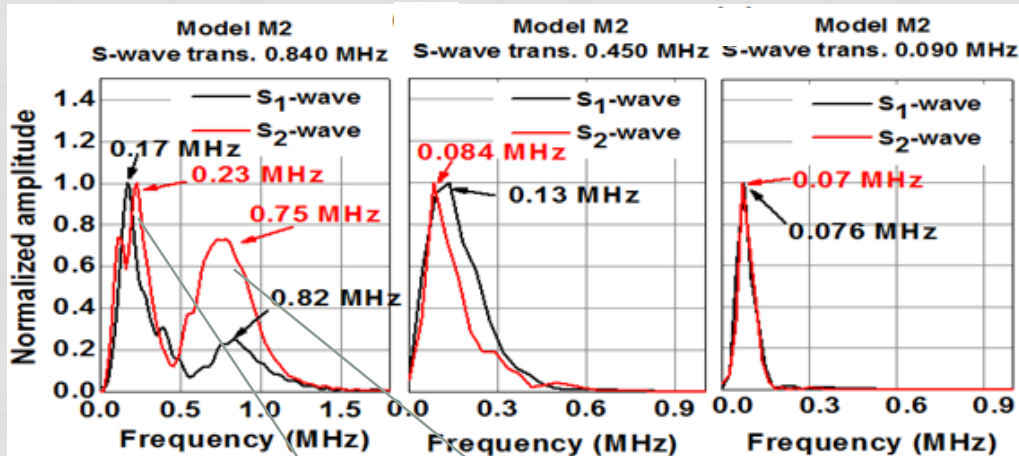
RESULTS AND ANALYSIS



Frequency spectra



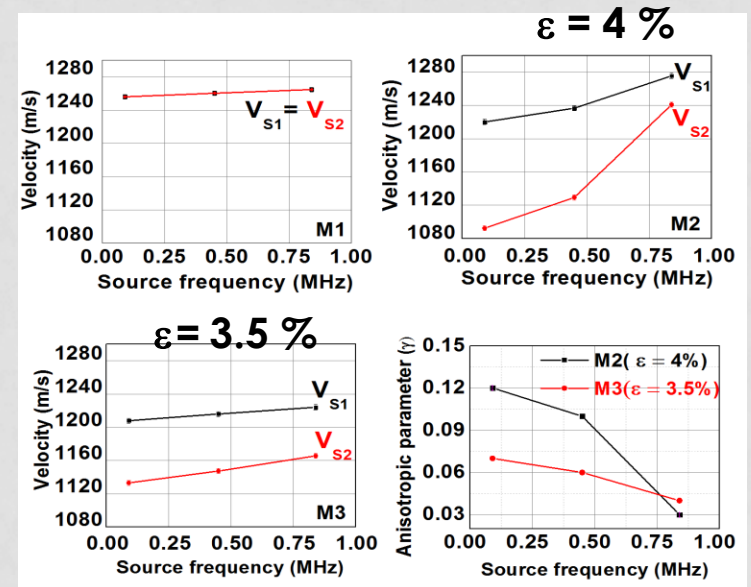
SCATTERING EFFECT



Anisotropic calculation

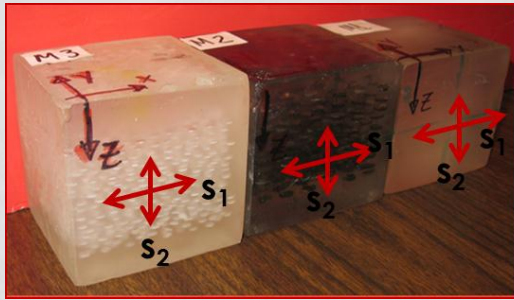
$$\gamma = \frac{1}{2} \left(\frac{V_{s1}^2}{V_{s2}^2} - 1 \right)$$

Thomsen, 1986



ATTENUATION ESTIMATION

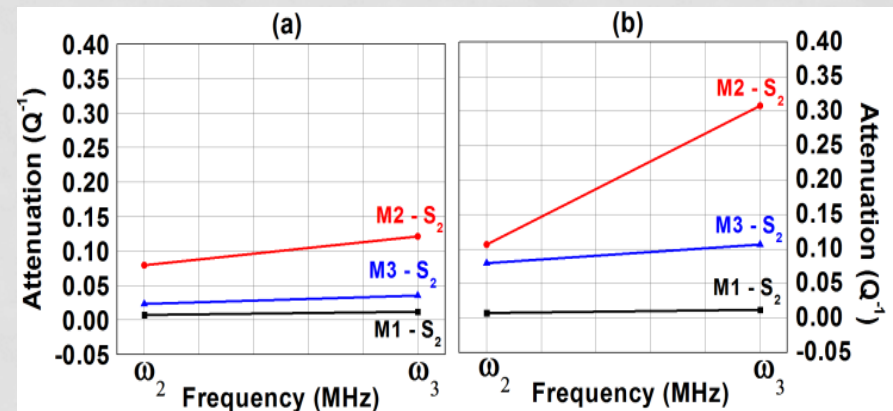
Attenuation Q^{-1} for models M1, M2 and M3 respectively for the shear-wave polarizations S_1 and S_2 .



	Frequencies(MHz)			Shift-time (ms)	
				$ t(w3)- t(w1) $ (S1,S2)	$ t(w2)-t(w1) $ (S1,S2)
Model	w1(S1,S2)	w2(S1,S2)	w3(S1,S2)		
M1	(0.082,0.082)	(0.377,0.377)	(0.514,0.514)	(0.4,0.4)	(0.2,0.2)
M2	(0.076,0.07)	(0.13,0.18)	(0.17,0.24)	(1.8,7.2)	(0.8,5.0)
M3	(0.073,0.067)	(0.18,0.08)	(0.24,0.156)	(0.8,1.8)	(0.4,0.7)

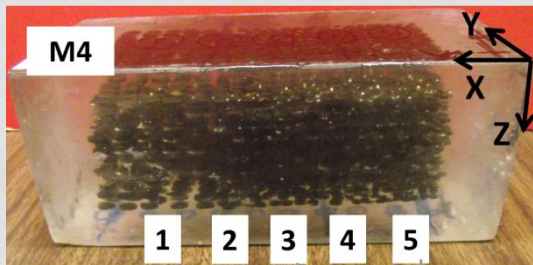
Applying Drift-time correction method
(Stewart et al. ,1984)

$$t_{delay} = \frac{l \ln(w_j / w_i)}{\pi QV(w_j)}$$

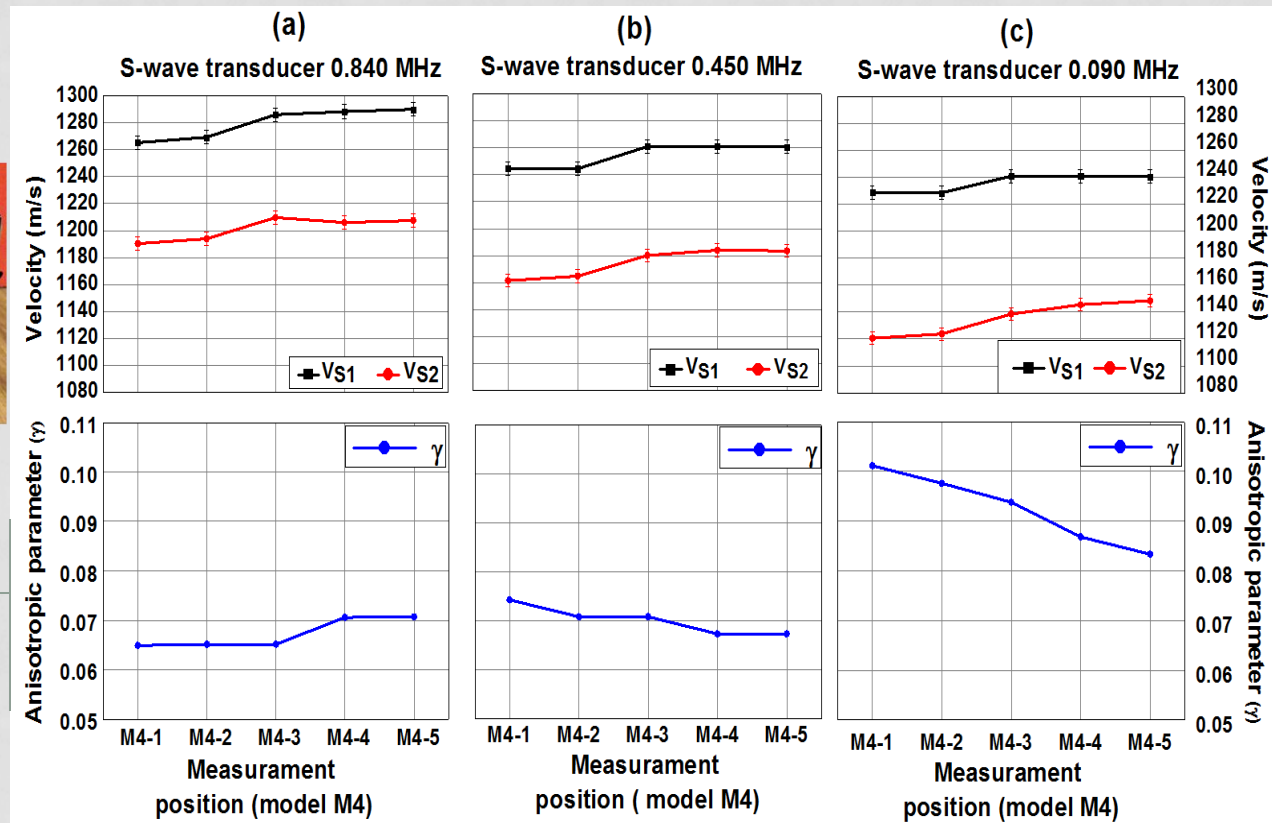


SIZE EFFECT- ANISOTROPIC PARAMETER

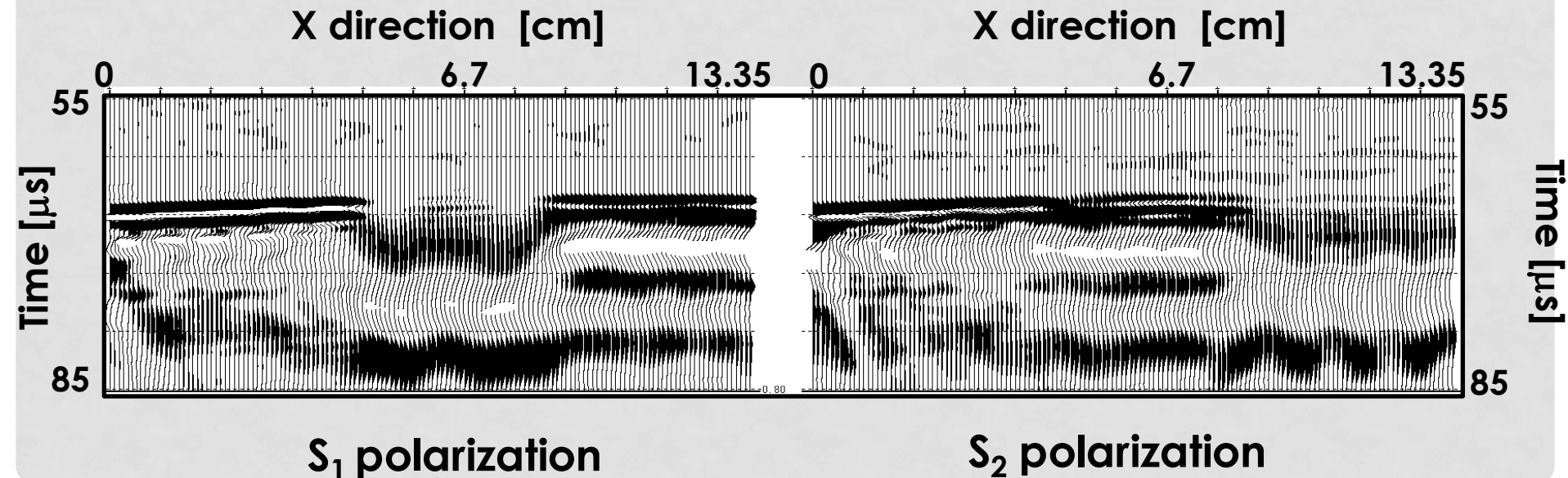
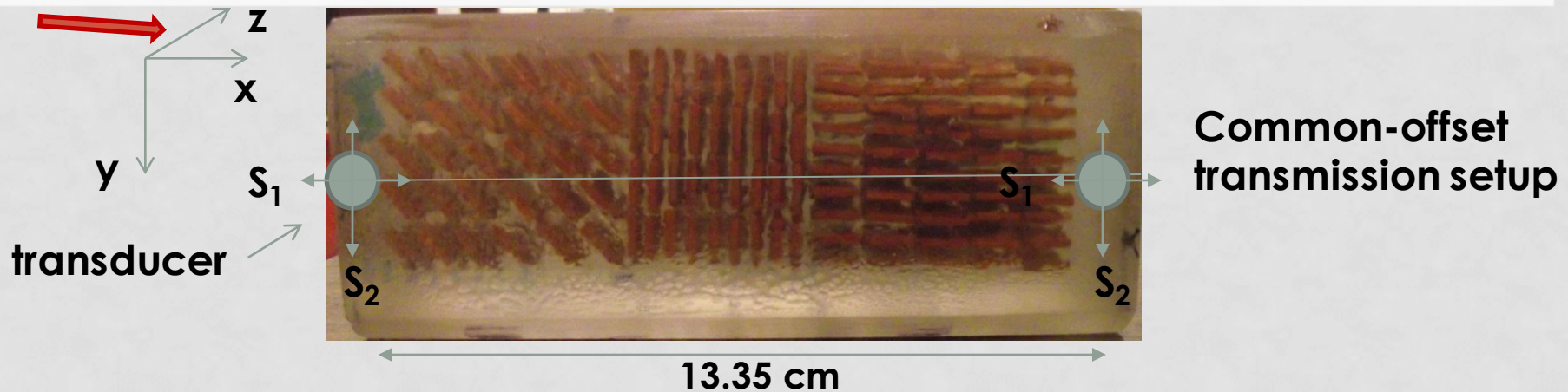
Shear wave velocity and anisotropic parameter γ



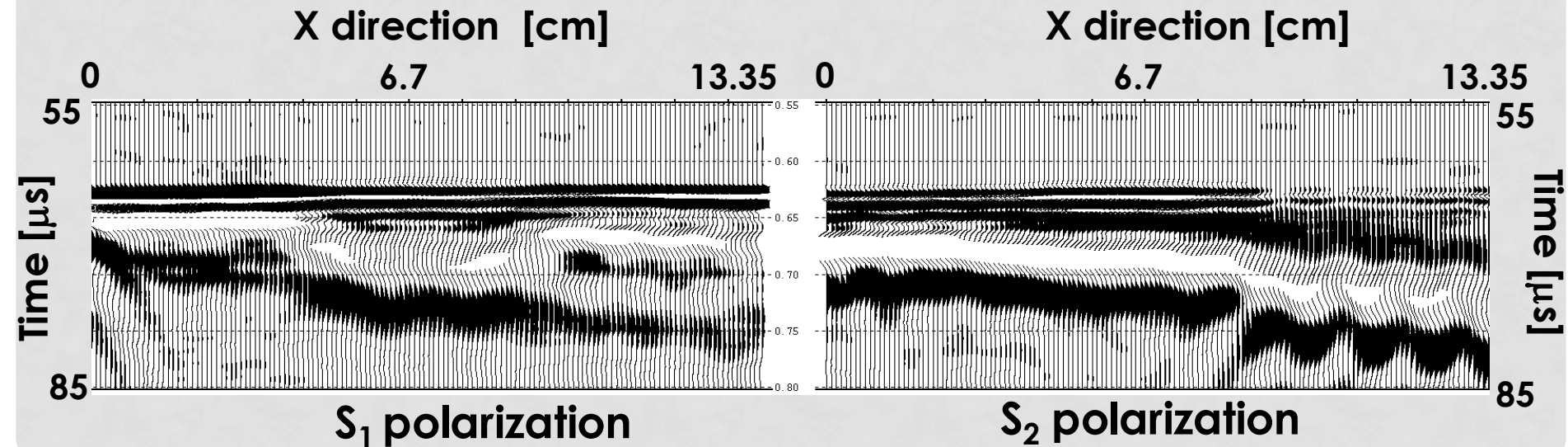
diameter	0.7 cm	0.44 cm	0.32 cm
crack density	6.2 %	5.2 %cm	3.8 % cm



HIGH FREQUENCY: FRACTURES DIRECTIONS



HIGH FREQUENCY -FRACTURES DIRECTIONS



CONCLUSIONS

- Anisotropic parameter is influenced by relations between frequency source and crack densities.
- Shear-wave splitting has direct relation with:
 - Dispersion
 - Size of inclusions and aperture
 - Apparent attenuation
- High frequency range can lead to important information about fracture reservoir management.

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- CNPQ-Brazil.